

## **Grade 9 Number System**

- Q1) Insert 16 rational number between 2.1 and 2.2.
- Q2) Is zero a rational number? Justify your answer.
- Q3) i) Write  $\frac{231}{625}$  as decimal form and state it's kind.
  - ii)Express 32.12 $\overline{35}$  in form  $\frac{p}{q}$  where p, q are integers and q $\neq$ 0.
- Q4) Is the product of one rational number and one irrational always irrational number? What if both are irrational number? Is this true for addition also? Justify your answer using suitable example.
- Q5) Find the value of a and b if  $\frac{7+3\sqrt{5}}{3+\sqrt{5}} \frac{7-3\sqrt{5}}{3-\sqrt{5}} = a+\sqrt{5}b$
- Q6) If x= 3+2 $\sqrt{2}$ , find the value of  $\left(x^2 + \frac{1}{x^2}\right)$
- Q7) Simplify  $\left(\frac{x^p}{x^q}\right)^{p+q} \cdot \left(\frac{x^q}{x^r}\right)^{q+r} \cdot \left(\frac{x^r}{x^p}\right)^{r+p}$
- Q8) Solve  $\sqrt[4]{81x^8y^4z^{16}} \div \sqrt[3]{27x^3y^6z^9}$
- Q9) Evaluate after rationalising the denominator of  $\frac{25}{\sqrt{40}-\sqrt{80}}$  Given  $\sqrt{10}$ =3.162 and  $\sqrt{5}$ =2.236



## **Answer Key**

- A1) 2.105.2.11,2.115,2.12, ......2.175,2.18
- A2) Yes, because 0 can be written as  $\frac{0}{1}$  which is form of  $\frac{p}{q}$ , where p and q are integers and  $q \ne 0$ .
- A3) i)0.3696; terminating

ii) 
$$\frac{318023}{9900}$$

- A4) a) Yes, multiplying one terminating number with one non-terminating number is always non-terminating. E.g. 2.1x2.38967534678......
- b) No  $2\sqrt{2}x\sqrt{2}=4$  c) Yes, addition will always irrational number. E.g. $\sqrt{2}+\sqrt{3}$
- A5) a=0, b=1

A6) Given, 
$$x=3+2\sqrt{2} \Longrightarrow \frac{1}{x} = \frac{1}{3+2\sqrt{2}} \times \frac{3-2\sqrt{2}}{3-2\sqrt{2}} \Longrightarrow \frac{1}{x} = 3-2\sqrt{2}$$

$$x + \frac{1}{x} = 6 \implies \left(x + \frac{1}{x}\right)^2 = 36 \implies \left(x^2 + \frac{1}{x^2} + 2\right) = 36 \implies \left(x^2 + \frac{1}{x^2}\right) = 34$$

$$\mathsf{A7)} \left( \frac{x^p}{x^q} \right)^{p+q} \cdot \left( \frac{x^q}{x^r} \right)^{q+r} \cdot \left( \frac{x^r}{x^p} \right)^{r+p} = x^{(p-q)(p+q)} \cdot x^{(q-r)(q+r)} \cdot x^{(r-p)(r+p)}$$

$$x^{p^2-q^2}.\,x^{q^2-r^2}.\,x^{r^2-p^2} = x^{(p^2-q^2+q^2-r^2+r^2-p^2)} \Longrightarrow x^0 = 1$$

A8) 
$$\frac{xz}{y} \approx$$